

REGULAR QUIZ 04

Form 2 Regular Course
Angles in Triangle and Polygon

Part A - MC (@2 marks)

1.	D	$\angle BAC = \angle FAE$ (corr. \angle s, $\cong \Delta$ s) $\angle CAF + 22^\circ = \angle CAF + \angle BAF$ $\angle BAF = 22^\circ$
2.	C	$\angle PRQ = \frac{180^\circ - a}{2} = 90^\circ - \frac{1}{2}a$ $\angle RPX = 90^\circ - \frac{1}{2}a$ $a + 90^\circ - \frac{1}{2}a + 64^\circ = 180^\circ$ $a = 52^\circ$
3.	B	$\angle CBE = \frac{60^\circ}{2} = 30^\circ$ $\angle CDB = 30^\circ$ $b = 180^\circ - 30^\circ - 60^\circ - 30^\circ = 60^\circ$
4.	A	$2x + 160^\circ - x + 100^\circ + 130^\circ + 2x - 30^\circ = (5 - 2) \times 180^\circ$ $3x = 180^\circ$ $x = 60^\circ$
5.	B	Let E be an exterior angle. $180^\circ - E - 132^\circ = E$ $E = 24^\circ$ $n = \frac{360^\circ}{24^\circ} = 15$
6.	A	$\triangle BAE \cong \triangle BCE$ (RHS)
7.	D	I is correct. $\angle FOH = 5x + 20^\circ$ $5x + 20^\circ + 42^\circ + 104^\circ - 4x = 180^\circ$ $x = 14^\circ$ II is correct. $\angle OEG = 3(14^\circ) = 42^\circ = \angle ODH$ $AB \parallel CD$

		III is correct. $\angle EOG = 5(14^\circ) + 20^\circ = 90^\circ$
8.	B	$g + h + e + f + i + j + (180^\circ - 60^\circ) = 360^\circ$ $g + h + e + f + i + j = 240^\circ$
9.	C	
10.	D	$\angle AED = 180^\circ - \frac{360^\circ}{5} = 108^\circ$ $\angle PQR = 60^\circ$ $x + y + 60^\circ + 108^\circ = 360^\circ$ $x + y = 192$
11.	C	$\angle DYG = \angle EDY = 180^\circ - 108^\circ = 72^\circ$
12.	C	$\frac{360^\circ}{50^\circ} = \frac{36}{5}$ which is not an integer

1. D 2. C 3. B 4. A 5. B
6. A 7. D 8. B 9. C 10. D
11. C 12. C

Part B - Short Questions (26 marks)

1. $\angle EBD = 90^\circ + c$ (ext. \angle of Δ) 1M
 $a + b + \angle EBD = 180^\circ$ (\angle sum of Δ) 1M
 $a + b + c = 90^\circ$ 1 f.t.
2. (a) In ΔABC and ΔCDE ,
 $BC = ED$ (given)
 $AB = CD$ (given)
 $\angle ABC = \angle CDE = 90^\circ$
 $\therefore \Delta ABC \cong \Delta CDE$ (SAS) 1 for reason
+1 f.t.
- (b) $\angle ECD = \angle BAC$ (corr. sides, $\cong \Delta$ s)
 $\angle ECD = 55^\circ$
 $\angle DEC = \angle ACB = x + 20^\circ$ (corr. sides, $\cong \Delta$ s)
 $55^\circ + x + y + 20^\circ = 180^\circ$ (adj. \angle s on st. line)
 $x + y = 105^\circ$ 1A
 $x + 20^\circ + 55^\circ = 90^\circ$ (\angle sum of Δ)
 $x = 15^\circ, y = 90^\circ$ 1A + 1A

3. $\angle ADC + 240^\circ = 360^\circ$ (\angle s at a pt.)
 $\angle ADC = 120^\circ$
 $\angle CAD = 90^\circ - 2x$
 $\angle CAD + 120^\circ + x = 180^\circ$ (\angle sum of Δ)
 $90^\circ - 2x + 120^\circ + x = 180^\circ$
 $x = 30^\circ$ 1A
 $\therefore \angle CAD = 90^\circ - 2x = 30^\circ = \angle ACD$
 $\therefore AD = z = DC = 4$ (sides opp. eq. \angle s)
 $z = 4$ 1A
 $\angle BCA = y$ (base \angle s, isos. Δ)
 $\therefore 2x + 2y = 180^\circ$
 $y = 60^\circ$ 1A
4. (a) $\angle TPA = 180^\circ - y$ (adj. \angle s on st. line) 1M
 $70^\circ + 65^\circ + 45^\circ + 95^\circ + 180^\circ - y = 360^\circ$ (sum of ext. \angle s of polygon) 1M
 $y = 95^\circ$ 1A
- (b) $\therefore \angle QPT = y = \angle STE = 95^\circ$
 $\therefore AQ \parallel DT$ (corr. sides eq.) 1 f.t.
5. (a) Consider ΔACD ,
 $\angle CAD + \angle ACD + \angle ADC = 180^\circ$ (\angle sum of Δ)
 $100^\circ + 40^\circ + 2a = 180^\circ$
 $a = 20^\circ$ 1M
 $\angle CBE + \angle BCD$
 $= 7a + 40^\circ$
 $= 7(20^\circ) + 40^\circ$
 $= 180^\circ$
 $\therefore BE \parallel CD$ (int. \angle s, supp.) 1 for reason
+1 f.t.
- (b) $\angle ABE = \angle ACD = 40^\circ$ (corr. \angle s, $BE \parallel CD$) 1M (either)
 $\angle AEB = \angle ADC = 2a = 2(20^\circ) = 40^\circ$ (corr. \angle s, $BE \parallel CD$) 1M (either)
 $\therefore \angle ABE = \angle AEB$
 $\therefore \Delta ABE$ is an isosceles triangle. (sides opp. eq. \angle s) 1 f.t.

6. (a) $\angle DEA = \frac{(5-2) \times 180^\circ}{5} = 108^\circ$ (\angle sum of polygon) 1M

$\angle EDA = \angle EAD$ (base \angle s, isos. Δ) 1M

$\angle EAD = \frac{180^\circ - 108^\circ}{2} = 36^\circ$ (\angle sum of Δ) 1A

(b) $\angle HAJ = \angle EAD = 36^\circ$ (vert. opp. \angle s)

$b = \angle HAJ + 25^\circ = 36^\circ + 25^\circ = 61^\circ$ (ext. \angle of Δ)

$b = 61^\circ$ 1A

(c) $\angle EAB = 108^\circ$ (proved)

$\angle DAB = 108^\circ - \angle EAD = 108^\circ - 36^\circ = 72^\circ$ 1A

(d) $\angle HAG = 72^\circ$ (vert. opp. \angle s)

$a = 72^\circ + b = 72^\circ + 61^\circ = 133^\circ$ (ext. \angle of Δ) 1A